## Angle-Launched Projectiles

Goal: To understand the conceptual nature of the motion of an angle-launched projectile.
Background: A projectile is an object that is projected or launched into the air and then moves through the air under the sole influence of gravity. In this sense, a projectile is a free-falling object that experiences a downward acceleration of $9.8 \mathrm{~m} / \mathrm{s} / \mathrm{s}$.

Getting Ready: Navigate to the Projectile Simulator in the Physics Interactives section of The Physics Classroom website:
http://www.physicsclassroom.com/Physics-Interactives/Vectors-and-Projectiles/Projectile-Simulator
Path:
physicsclassroom.com $=>$ Physics Interactives $=>$ Vectors and Projectiles $=>$ Projectile Launcher
Once the Interactive opens, resize it to whatever size you wish. Then set the Speed to $60 \mathrm{~m} / \mathrm{s}$. Set the Angle to 60 degrees. Set the Height to 0 m . Enable Show Velocity Vectors and Trace Path; they should be highlighted in yellow.

## Directions and Questions:

1. Horizontal and Vertical Velocity Click the Start button and observe the simulation. The red arrows are velocity vectors. They are indicators of how fast the object is moving horizontally and vertically. The length of the arrow indicates how fast the object is moving in that direction. Describe the
 horizontal and the vertical velocity:

The horizontal velocity $\left(v_{x}\right)$ is $\qquad$ (constant, changing) and the vertical velocity $\left(\mathrm{v}_{\mathrm{y}}\right)$ is $\qquad$ (constant, changing).

## 2. Vertical Velocity at Peak

Carefully observe the vertical velocity vector as the projectile approaches the highest point (i.e., the peak). At its highest point, the vertical velocity is $\qquad$ .
a. zero
b. large and downward
c. large and upward
d. the same size as at $\mathrm{t}=0.0 \mathrm{~s}$
3. Time to Rise and Time to Fall

As the simulation runs, the time is displayed at the top of the Interactive. If the Pause button is pressed, arrows appear next to the time to step the simulation forward or backward. Use these controls to measure the time it takes to rise to the peak, the total time in the air, and the time it takes to fall from the peak. Record to the first decimal place.

$$
\mathrm{t}_{\text {rising }}=\ldots \mathrm{s} \quad \mathrm{t}_{\text {total }}=\ldots \mathrm{s} \quad \mathrm{t}_{\text {falling }}=\ldots
$$

Analyze these measurements and make a generalized statement about $t_{\text {rising }}$ and $t_{\text {falling }}$.
4. Anna Litical makes the following claim:

The vertical velocity $\left(\mathrm{v}_{\mathrm{y}}\right) 1.0$ second before reaching the peak is the same size as the vertical velocity $\left(\mathrm{v}_{\mathrm{y}}\right) 1.0$ second after reaching the peak. The same is true of the $\mathbf{v}_{\mathbf{y}}$ values 2.0 seconds before and after the peak.

Do you agree or disagree with Anna's claim? $\qquad$ Perform some trials and support your answer the evidence and reasoning.

## 5. Size and Direction of the Acceleration

Enable the Show Acceleration Vector option and run the simulation several times in order to answer the following three statements:

The acceleration of a projectile is $\qquad$ . Circle all that apply.
a. constant
b. changing
c. decreasing as it rise d . increasing as it falls

The direction of a projectile's acceleration is always $\qquad$ .
a. in the direction that it is moving
b. opposite the direction it is moving
c. downward

When at its highest point, the acceleration is $\qquad$ .
a. zero
b. large and downward
c. large and upward
d. the same size as at $\mathrm{t}=0.0 \mathrm{~s}$

## 6. Angle for Maximum Range

Vary the launch angle, make measurements and answer the following two questions.

What launch angle results in the greatest range?

State a rule that describes what pair of launch angles could be expected to result in the same $x$ displacement or range.

| Angle ( ${ }^{\circ}$ ) | x-displacement (m) |
| :---: | :---: |
| 15 |  |
| 25 |  |
| 35 |  |
| 40 |  |
| 45 |  |
| 50 |  |
| 55 |  |
| 65 |  |
| 75 |  |

