Using the Kinematic Equations to Solve Problems – Part 2 Lesson Notes

The BIG 4:

$$d = v_{o} \cdot t + \frac{1}{2} \cdot a \cdot t^{2}$$

$$v_{f}^{2} = v_{o}^{2} + 2 \cdot a \cdot d$$

$$d = (v_{o} + v_{f}) / 2 \cdot t$$

$$v_{f} = v_{o} + a \cdot t$$

$$d: displacement$$

$$a: acceleration$$

$$t: time$$

$$v_{o}: original velocity$$

$$v_{f}: final velocity$$

Problem-Solving Strategy

- Read the problem carefully. Identify the known values of three of the five variables. Write down the known values. Relate the values to the symbols; e.g., v_o = 15 m/s.
- 2. Identify the unknown variable. Write in symbol form.
- 3. Now you have four variable symbols 3 with known values and one of unknown value. Find the kinematic equation that contains these four variables. Write the equation down.
- 4. Substitute known values into this equation.
- 5. Perform algebra and calculations to solve for the unknown variable.

Example 1

Lisa Ford accelerates from 12 m/s to 26 m/s at a rate of 4.2 m/s². Over what distance does this acceleration occur?

Known Variables:

Unknown Variable:

Equation:

Solution and Answer:

Example 2

Ed Foot is traveling at 38.2 m/s when he spots the state police. He decelerates at 8.6 m/s² for 2.1 s. What distance does he travel during this time?

Known Variables:

Unknown Variable:

Equation:

Solution and Answer:

Example 3

What is the acceleration of a car that brakes from 24.2 m/s to 11.9 m/s in 2.85 seconds?

Known Variables:		
Unknown Variable:	_	

Equation:	

Solution and Answer: